Fifth Semester 2017
Examination: B.S. 4 Years Programme

PAPER: Mathematical Economics-I Course Code: ECON-303 TIME ALLOWED: 30 mins. MAX. MARKS: 10

# Attempt this Paper on this Question Sheet only. OBJECTIVE TYPE

PART-I (MCQs)

10

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<ol> <li>Real number system</li> </ol>	consist of					
a) Integer	b) fraction	c) rational an	d irration	nal number	ers d) al	1
2. A function in which variables is called	each term co	ntain a coeffici	ent as w	ell as inte	ger power	of independent
a) Linear or qu	adratic	b) polynomia	1	c) both a	and b	d) none
3. Matrix algebra can	only be applie	ed to the system	of	equations		
a) Nonlinear	b) linear	c) quadratic	d) none	e		
4. A minor coupled wi	ith prescribed	sign is called				
a) Transpose	b) co-factor	c) both	d) none	e		
5. The analysis in whi	ch we study th	ne all types of r	ates of c	hanges		
a) Partial analy	rsis b) cor	nparative static	analysis	s c	) both	d) none
6. The point where a f	unction chang	es its rates of c	hange is	called		
a) Saddle poin		nt of inflection			l) minima	
7. In optimization und several inequality con-						lied while under
a) Linear progr programing		grange multipl	ier	b) Langi	range multi	plier, linear
8. The marginal functi	on are found	from total func	tion usin	g		
a) Derivatives	b) into	egrals c) opt	imizatio	n d	l) none	
9. If p=a+c/b+d the b+	d should be _	for uni	que posi	tive solut	ion	
a) Greater than	zero b) les	s than zero	c) b+d	=0 d	l) none	
10. The domain of exp	onential func	tion consist of	bu	t range is		
a) Real number						bers c) both

2017 Fifth Semester Examination: B.S. 4 Years Programme Roll No. .....

PAPER: Mathematical Economics-I Course Code: ECON-303

TIME ALLOWED: 2 hrs. & 30 mins. MAX. MARKS: 50

### Attempt this Paper on Separate Answer Sheet provided. SUBJECTIVE TYPE

PART II

20

### GIVE SHORT ANSWERS OF THE FOLLOWING.

### All questions carry equal marks:

- 1. Differentiate between exponential and logarithmic functions
- 2. Find the equilibrium P and Q for the following

$$Qd=3-P^2,$$

Qs= 6P-4

- 3. What are the conditions for maxima and minima for a multivariable function z=f(x,y)
- 4. Find the equation of straight line passing through two point (3, 4) and (-5, 2)

PART III

30

### All questions carry equal marks:

- 1. Write a comprehensive note on types of functions with examples and diagrams
- 2- Find the equilibrium solution for the two competing product model, if:

$$Q_{d1} = 24-3P_1 + P_2$$

$$Q_{d2} = 16 + P_1 - 2P_2$$

$$Q_{s1} = -4 + 4P_1$$

$$Q_{s2} = -4 + 3P_2$$

3- Given Y= C+I+G

And 
$$C = a+bY$$

$$I=I_o$$
  $G=G_o$ 

Find the values of Y and C by Matrix method

4- Solve the following equations by Matrix Inversion Method

$$8X_1 - X_2 = 16$$

$$2X_2 + 5X_3 = 5$$

$$2X_1 + 3X_3 = 7$$

5- The total cost function of the commodity x is TC=60-12X+2X<sup>2</sup>. Find the level of output at which total cost is minimum. Find the average cost function and the level of output at which this function is minimum.



Sixth Semester - 2017 Examination: B.S. 4 Years Programme Roll No. .....

PAPER: Mathematical Economics II Course Code: ECON-308

TIME ALLOWED: 2 hrs. & 30 mins.

MAX. MARKS: 50

Attempt this Paper on Separate Answer Sheet provided.

# **Subjective Part**

Note: Attempt all questions.

•	Q2. V	Vrite short answers.	(5 X4:	= 20)	
	1.	What is meant by complex numbers?			
	11.	Write four Properties of definite integrals.			
	111.	State the Routh Theorem.			
	IV.	Find total variable cost (TVC) when MC=12Q2-3Q+10			
	٧.	Solve:			
		dy/dt+3y=2 where $y(0)=4$			
	Q3. (	Give the frame work of Solow Growth model with its qualitative solution.	44	10	
2	Q4. I	Find definite solution of	*	10	
		2y" (t)-12y' (t) +20Y=40; Y (0) =4, Y' (0) =5			
	Q5.	solve the difference equation		10	
	•	$y^{t+2} - Yt^{+1} + 1/4y^{t} = 2$ where $y_0 = 4$ and $y_1 = 7$			



Sixth Semester - 2017
Examination: B.S. 4 Years Programme

PAPER: Mathematical Economics II Course Code: ECON-308 TIME ALLOWED: 30 mins. MAX. MARKS: 10

Roll No. .....

Attempt this Paper on this Question Sheet only.

## **Objective Part**

### Q.1: Encircle the correct answer.

- 1. If the slope of phase line is negative, then time path will be:
- a) Perpetual
- b) Convergent
- c) Divergent
- d) All of these
- 2. The general solution of dy/dt +ay=0 is:
- a) y/a
- b)  $Y(t) = Ae^{-at}$
- c)  $Y(t)=A(-a)^t$
- d) Y(t)=b/a
- 3. Complementary function 'Yc' shows the solution of:
- a) Reduced equation
- b) Complete equation
- c) Difference equation
- d) None
- 4. Particular integral 'Yp' shows the:
- a) Complementary function
- b) Inter-temporal equilibrium
- c) Zero
- d) None

(P.T.O.)

- 5. The Cartesian form of Re<sup>i0</sup> is:
- a) (h+vi)
- b) R cosθ
- c) R Sin θ
- d)  $R(\cos\theta+i\sin\theta)$
- 6.  $dy/dt+ty=y^2=is$
- a) Linear differential equation
- b) Difference equation
- c) Bernoulli equation
- d) None
- 7. According to Domar growth model output is function of:
- a) Labor
- b) Capital
- c) Labor and Capital
- d) Money supply
- 8.  $Y_{t+1} Y_t = 3$  is:
- a) Quadratic equation
- b) Differential equation
- c) Difference equation
- d) All
- 9. If the slope od phase line is positive, then time path will be:
- a) Convergent
- b) Divergent
- c) Perpetual
- d) All of these
- 10.  $dy/dt + 2t = y^3$
- a) Quadratic equation
- b) Cubic equation
- c) Bernoulli equation
- d) None

Sixth Semester - 2018 Examination: B.S. 4 Years Programme

PAPER: Mathematical Economics II Course Code: ECON-308 Part - I (Compulsory)

TIME ALLOWED: 15 Mints. MAX. MARKS: 10

Roll No. .....

ick a	encircle the correct option. Each MCQ carries 1 Mark. This Paper will be collected fter expiry of time limit mentioned above.
)l. T	ick the Correct answer
1.	Square root of negative number is called:
	a) complex number
	b) imaginary number
	c) both
	d) none
2.	Solution of Jk e <sup>x</sup> dx
	a) k
	b) e <sup>x</sup>
	c) k e <sup>x</sup>
	d) None of the given
3	Derivative of sin $\Theta$ is:
	a) Cos Θ
	b) -Cos θ
	c) –Sin $\Theta$
	d) Tan $\Theta$
921	$\int X^2 dx$ is:
4.	
	a) Proper integral
	b) Improper integral
	c) Indefinite integral
	d) None of these
5.	According to Eular relation the polar form of complex number (h+vi) is:
	a) R (Cos Θ+ Sin Θ)
	b) Re <sup>iθ</sup>
	c) R Cos O
	d) RSin Θ
6	Derivative of $\cos \theta$ :
U.	a) $\cos \theta$ b) $-\cos \theta$ c) $\sin \theta$ d) $\sin \theta$
	1, 211
7.	Particular integral shows:
	a) reduced form equation b) inter temporal equilibrium c)nothing
8.	According to Domer growth model, output is function of:
	a) labor b) capital c) K/L d) K and L
9.	$dy/dt +3ty = e^4y^6 \text{ is a:}$
	a) linear diff equation b) Bernoulli equation c)both d)none
	0.141
1	0. dy/dt + ty= 3t <sup>2</sup> y is a:
	a) linear differential equation b)bernouli's equation
	c) difference equation d)an identity

Sixth Semester - 2018

Examination: B.S. 4 Years Programme

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PAPER: Mathematical Economics II Course Code: ECON-308 Part – II TIME ALLOWED: 2 Hrs. & 45 Mints. MAX. MARKS: 50

Attempt this Paper on Separate Answer Sheet provided.

Q2. Write short answers of the following questions

 $(5 \times 4 = 20)$ 

- i. Find J X ln X dX
- ii. What is difference between Eular and Maclaurin series?
- iii. Find the roots of the equation  $2X^2 X + 1 = 0$
- iv. Find  $Y_e$  and  $Y_p$  of dy/dt 2y = 0 where y(0) = 9
- v. What is meant by exact differential equations?
- Q3. Solve the following difference equation and verify your answer.

$$Y_{t+2} - 2 Y_{t+1} + 2 Y_t = 1$$
 where  $Y_{(0)} = 3, Y_{(1)} = 4$  (10)

Q4. Is the following equation exact? If not, try a possible integrating factor to solve the equation.

$$2 y t^3 dy + 3y^2 t^2 dt = 0 (10)$$

Q.5. Derive Kuhn Tucker condition for verifying the optional values found in non-linear programming. (10)

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Fifth Semester 2018
Examination: B.S. 4 Years Programme

PAPER: Mathematical Economics-I

Course Code: ECON-303

TIME ALLOWED: 30 mins.

3 MAX. MARKS: 10

# Attempt this Paper on this Question Sheet only. NOTE: Attempt all questions

3.65			OBJECT	TIVE	
Q. #:	Select t	he correct answer.		(1 X 10	) = 10)
I.	Real n				
	a.	(a) Integer	(b) Fraction	(c) Rational and Irrational num	ber (d) all
П.	Slope	of the function $y = 3x^2$	at $x = 2$		
	a.	(a) 3	<b>(b)</b> 2	(c) 12	(d) 3x
Ш.	The pr	ice elasticity of demand	l in PQ=200 is		
		(a) 200	<b>(b)</b> 0	(c) Unity	(d) Infinity
IV.	The m	atrix which has zero de	terminant is calle	d as	
	a,	(a) Singular Matrix these	(b) Non-Singu	ular matrix(c) Identity Matrix	(d) None of
V.	Clana	of Straight line passing	through the naim	to (15, 27) and (20, 10)	10
٧.		(a) Positive these	(b) Negative	(c) Zero	(d) None of
VĬ.	Δ min	or coupled with prescrit	hed sion is called	6	
****		(a) Transpose	(b) Co-factor		(d) none
VII.	Minor	with a specific algebra	ic sign is called a	s	
	a.	(a) Matrix	(b) Identity	(c) Co-factor	(d) Transpose
VIII.	The sle	ope of quadratic function	n at its maximum	n point is	
	a.	(a) Positive None of These	(b) Zero	(c) Negative	(d)
IX.	Under	perfect competition, to	tal revenue funct	ion is	
10000000		(a) Cubic Function	(b) Linear Fu		(d) none
X.	If Qd1	$= 400 - 3P_1 - 4P_2$	and $Qd_2 = 200$	$0 - 7P_1 - 4P_2$ then these two go	ods will be
	a.	(a) inferior goods goods	(b) compleme		(d) griffon

Fifth Semester 2018 Examination: B.S. 4 Years Programme Roll No. .....

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PAPER: Mathematical Economics-I Course Code: ECON-303

TIME ALLOWED: 2 hrs. & 30 mins. MAX. MARKS: 50

# Attempt this Paper on Separate Answer Sheet provided. SUBJECTIVE TYPE

NOTE: Attempt all questions

	Attempt an questions		
Q.2	Write the short answers	(47	K5 =20)
54	(i) Differentiate between exponential and logarithmic function		
	(ii) What do you meant by non-singular matrix?		
	(iii) State duality theorems?		
	(iv) If $TC = Q^3 - 3Q^2 + 100Q + 60$		
	(v) If $Q = 70 - 5P$		
	Then find the slope of TR (Total Revenue)		
Q.3	If $Q_A = 20 - 3n$ $Q_{-} = -5 + 29$		
Q <sub>13</sub>	If $Q_d = 20 - 3p$ $Q_s = -5 + 29$		
	$Q_d = Q_s$		
a)	Find equilibrium price (p) and equilibrium quantity (Q).		(5)
b)	Find Elasticity of demand and elasticity of supply at P and Q		(5)
	[2 3 0]		
Q.4	If $A = \begin{bmatrix} 2 & 3 & 0 \\ 5 & 4 & 1 \\ 1 & 6 & 3 \end{bmatrix}$ Find $A^{-1}$ ?		(10)
Q.5	Find $\frac{dy}{dx}$ of		
(i)	$Y = (9x^2 - 7)^4$		(5)

Fifth Semester - 2019
Examination: B.S. 4 Years Program

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MAX.	TIME: 15 Min.
MAX.	MARKS: 10

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Signature of Supdt.:

(1x10=10)

PAPER: Mathematical Economics-I Course Code: ECON-303 Part-I (Compulsory)

Attempt this Paper on this Question Sheet only.

Please encircle the correct option. Division of marks is given in front of each question.

This Paper will be collected back after expiry of time limit mentioned above.

1	When	we give one value to independent variable and attain one value for depe
100	variat	ole then it is called
	a)	Relation
	b)	Function
	c)	Multi-valued function
	d)	Decreasing function
2	Thom	eneral representation of implicit function is:
Lie	a)	l=f(y)
	b)	Y=1(Y) Y=1(1)
	c)	F(x, y) = 0
	d)	Y=f(x)
	Claus	of function $Y=f(x)=11$ is
٥.		Positive
	a)	
	b)	Negative
	c)	Infinite
2	d)	Zero <sub>1</sub> =10-2P <sub>1</sub> +P <sub>2</sub> , here the positive sign of P <sub>2</sub> shows that goods are:
4.		
	a)	Complements
	b)	Substitutes
	c)	Luxuries
	d)	Inferior variable whose value is determined within the model is called:
5.		
	n)	Endogenous variables
	b)	Exogenous variables
	c)	Independent variables Dependent variables
	d)	
6		ording to the transpose property if (AB)
	a)	A'B'
	b)	B <sup>t</sup> A <sup>t</sup>
	c)	A <sup>-1</sup> B <sup>1</sup>
	d)	A'B-1
7	. If th	e matrix has zeros above or below the principle diagonal, then it is called:
	a)	Diagonal matrix
	b)	Identity matrix
	c)	Tri-angular matrix
	d)	Null matrix
8		P=a, this type of function has elasticity equal to:
	a)	E>1
	b)	E<1
	c)	E=1
	d)	E=0
9.	If f(	x)=(dy/dx) >0, then the function is:
	a)	Increasing function
	b)	Decreasing function
	C)	Implicit function
	d)	Explicit function
10	0. If d(	$TC)/dQ = 0$ , $d^2(TC)/dQ^2 > 0$ , then the cost will be:
	a)	Maximum
	b)	Minimum
	c)	Increasing

Fifth Semester – 2019
Examination: B.S. 4 Years Program

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MAN TIME, 2 Um 45 Min

PAPER: Mathematical Economics-I Course Code: ECON-303 Part - II MAX. TIME: 2 Hrs. 45 Min. MAX. MARKS: 50

# ATTEMPT THIS (SUBJECTIVE) ON THE SEPARATE ANSWER SHEET PROVIDED

Q.2	Write the short and	wers		(4 X5 =20)
	(i) Differentiate S	ingular and Non	-singular matrix	
	(ii) Differentiate	Endogenous vari	iable and Exogenous variable	le
	(iii) Differentiate F			
	(iv) Write down the	properties of Ma	trix Enversion.	
	(v) If $Q = 70 - 5P$	. Then find the slo	ope of TR (Total Revenue)	
Q.3	If $Q_d = 20 - 3$	$Q_s = -5 + 29$	and $Q_d = Q_s$	
a)	Find equilibrium pri	ce (p) and equilib	rium quantity (Q).	(5)
b)	Find Elasticity of de	mand and elastici	ty of supply at P and Q	(5)
Q.4	a) If slope=m= 3 and i	ntercept is at (0, 5	i). Find the equation of straigh	t line.
	b) If Qd = 20-5P and (	)s = 4 + 3P (Govi	Imposes 20 % tax on supplie	r) then find the values of P
	and Q with and withou	it tax.		(4, 6)
Q.5	Use Cramer's Rule to	solve the follow	wing equations systems:	
	$8X_1-X_2\\$	= 16		81
	$2X_2 + 5X_3$	=5		
	$2X_1 + 3X_3$	=7		(10)

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B.S. 4 Years Program / Sixth Semester - 2019

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	ATTEMPT THIS PAPER ON THIS QUEST	ION SHEET ONLY.	Signature of Supdt
This F	Division of marks is given in front of aper will be collected back after expiry of ti	me limit mentioned above.	1
		<del></del>	``,
Q.1.	Encircle the correct choice.	(1	x10=10)
(i)	The reverse process of derivative is call	ed:	160
V-1	(a) Definite integral	(b) improper integral	(
	(c) indefinite integral	(d) None of these	
(ii)	When two limits of integration are ident	ical the value of the defin	ite integral is:
900,960	(a) one	(b) zero	
	(c) infinite	(d) all of these	
(iii)	If the equation is $\frac{dy}{dx} = 2$ then particular	integral is:	
	(a) 2	(b) 2t	
	(c) Zero	(d) $2t^2$	
(iv)	The differential equation of the from: $\frac{d}{d}$	$t + ty + = 3ty^2$ is called:	
	(a) First order difference equation	(b) Second order dif	ference equation
	(c) Simultanes differential equation	(d) Bernoulli equation	
(v)	The value of $Cos(\frac{3\pi}{4})$ is:		
	(a) $\frac{1}{\sqrt{2}}$	(b) $-\frac{1}{\sqrt{2}}$	
	**	V65*	
	(c) $\frac{1}{2}$	$(d)\frac{\sqrt{3}}{2}$	
(vi)	The integration of one (1) with respect	to x is:	
	(a) x	(b) y	
	(c) zero	(d) constant	
(vii)	If the solpe of supply and demand curv	e are same then the time p	ath will be:
	(a) Explosive	(b) Damed	
	(c) uniform	(d) all of these	
(viii)	In Solow Growth model output is functi	on of:	
	(a) Capital	(b) Labor	
	(c) Land	(d) Capital and Labo	
(ix)	The relationship between the rate of grunemployment is:	owth of money wage and	the rate of
	(a) Positive	(b) Negative	
	(c) Positive & Negative	(d) None of these	
(x)	Particular integral $(y_p)$ of the equation	y''(t) = -10 is	
()	(a) $-10t^2$	(b) -10t	
	(c) -5t	(d) $-5t^2$	



B.S. 4 Years Program / Sixth Semester - 2019

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Paper: Mathematical Economics II Course Code: ECON-308 Part - II

Time: 2 Hrs. 45 Min. Marks: 50

# ATTEMPT THIS (SUBJECTIVE) ON THE SEPARATE ANSWER SHEET PROVIDED

Q.2 Write short answers. (5x4=20)(i) Solve:  $\int lnx dx$ (ii) Given the demand function  $P_d = 25 - Q^2$  and supply function  $P_s = 2Q + 1$ . Assuming pure competition find the consumer's surplus. (iii) Define integrating factor. (iv) For second order differential equation  $y''(t) + a_1y'(t) + a_2y = 0$ . Show that sum of roots is  $-a_1$  and product of roots is  $a_2$ . (v) Define Convergence and the Roth theorem. Q.3 For a general exact differential equation Mdy + Ndt = 0, derive the formula for the general solution of an exact differential equation: Q.4 Find the polar and exponential forms of the following complex numbers:

(a)  $\frac{3}{2} + \frac{3\sqrt{3}}{2}i$  (ii)  $4(\sqrt{3} + i)$  5+5=1

Q.5 Find the general solution of:  $y_{t+2} + \frac{1}{4}y_t = 5$ 10 10

B.S. 4 Years Program : Fifth Semester - Fall 2021

Roll No. .....

Paper: Advanced Mathematical Economics Course Code: ECON-307-A

Time: 3 Hrs. Marks: 60

Q.1. Answer the following short questions:

(6x5=30)

- I. Explain the concept of Maximum Principle.
- II. Find Particular Solution of:  $y^{(4)}(t) + 6y'''(t) + 14y''(t) + 16y'(t) + 8y = 2$
- III. Find characteristic roots of:  $(r+4)(r+4)(r^2+2r+2)=0$
- IV. Write complementary function of characteristic equation  $(r+4)(r+4)(r^2+2r+$ 2) = 0.
- V. Explain the concept of Primal and Dual.
- VI. Explain Two Variable Phase Diagrams.

Answer the following questions.

- Q. 2. Test convergence of the path of  $y_{t+2} 8y_{t+1} 2y_t = 10$ , using Schur Theorem.
- Q. 3. Using Routh Theorem, find dynamic stability of y'''(t) + 4y''(t) + 5y'(t) 2y = -2
- Q. 4. Write Kuhn Tucker Conditions for numerical,  $C = (x_1 4)^2 + (x_2 4)^2$ ,  $2x_1 + 3x_2 \ge 6$ ,  $-3x_1 - 2x_2 \ge -12$ ,  $x_1, x_2 \ge 0$ . Further solution not required.



B.S. 4 Years Program / Fifth Semester - Spring 2022

Paper: Advanced Mathematical Economics Course Code: ECON-307-A

## THE ANSWERS MUST BE ATTEMPTED ON THE ANSWER SHEET PROVIDED

Q.1. Answer the following short questions.

(6x5=30)

- I. Find Particular Solution of:  $y^{(4)}(t) + 6y'''(t) + 14y''(t) + 16y'(t) + 8y = 2$
- II. Find characteristic roots of:  $(r+2)(r+2)(r^2+2r+2)=0$
- III. Write complementary function of characteristic equation  $(r+2)(r+2)(r^2+2r+2)=0$ .
- IV. Explain Routh Theorem.
- V. Explain the concept of Primal and Dual.
- VI. Explain use of Linear Programming in Economics.

Answer the following questions.

- Q. 2. Test convergence of the path of  $y_{t+2} + 2y_{t+1} + 2y_t = 12$ , using Schur Theorem.
- Q. 3. Explain Dynamic Input-output Models with example(s).
- Q. 4. Solve the model:  $X_{t+1} + \frac{1}{2}y_{t+1} \frac{1}{7}y_t = 2$ , using Routh Theorem.



B.S. 4 Years Program / Fifth Semester - Spring 2022

Paper: Advanced Mathematical Economics Course Code: ECON-307-A

## THE ANSWERS MUST BE ATTEMPTED ON THE ANSWER SHEET PROVIDED

Q.1. Answer the following short questions.

(6x5=30)

- I. Find Particular Solution of:  $y^{(4)}(t) + 6y'''(t) + 14y''(t) + 16y'(t) + 8y = 2$
- II. Find characteristic roots of:  $(r+2)(r+2)(r^2+2r+2)=0$
- III. Write complementary function of characteristic equation  $(r+2)(r+2)(r^2+2r+2)=0$ .
- IV. Explain Routh Theorem.
- V. Explain the concept of Primal and Dual.
- VI. Explain use of Linear Programming in Economics.

Answer the following questions.

- Q. 2. Test convergence of the path of  $y_{t+2} + 2y_{t+1} + 2y_t = 12$ , using Schur Theorem.
- Q. 3. Explain Dynamic Input-output Models with example(s).
- Q. 4. Solve the model:  $X_{t+1} + \frac{1}{2}y_{t+1} \frac{1}{7}y_t = 2$ , using Routh Theorem.



B.S. 4 Years Program / Sixth Semester - Spring 2022

Paper: Mathematical Economics II Course Code: ECON-308 Time: 3 Hrs. Marks: 60

# THE ANSWERS MUST BE ATTEMPTED ON THE ANSWER SHEET PROVIDED

Q.1. Answer the following short questions.

(6x5=30)

- I. Define higher order difference equations.
- Solve Bernoulli equation:  $\frac{dy}{dt} + \frac{1}{2}y = \frac{1}{2}(t+1)y^3$ Find the general solution:  $\frac{dy}{dt} + 3ty = 0$ П.
- Ш.
- IV. Find the roots of the characteristic equation:  $2x^2 + x + 10 = 0$
- Explain difference between imaginary and complex numbers V.
- If  $MC = 250 + 30Q 9Q^2$  and FC = 66 find total cost function. VI.

## Answer the following questions.

- Q. 2. Solve by using 4-step procedure:  $t^2\,dy + 3y\,dt = 0$
- Q. 3. Solve the cobweb model:  $Q_{d,t} = 20 6P_t$  and  $Q_{s,t} = -5 + 6P_{t-1}$
- Q. 4. Solve the model:  $X_{t+1} + \frac{1}{2}y_{t+1} \frac{1}{7}y_t = 2$ , using Schur Theorem.